1. Two fair dice are rolled. Consider the following events:

 $A = \{At \text{ least one of the two dice turns up 2.}\}$ $B = \{The sum of the two values rolled is 5.\}$

Compute (i) $\mathbb{P}(A) =$

(ii) $\mathbb{P}(A|B) =$

(iii) Are A and B independent?

2. We keep rolling a fair die until it turns up 6 for the first time. Let X denote the number of flips. Compute:

 $\mathbb{P}(X \text{ takes an odd value}) =$