

# Informatics 3.

## Lecture 1: Introduction

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  - April 12, May 24
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- $W_1 + W_2 + \max(0, \min(H, 20) - 8) + \max(0, \min(Q, 10) - 4) + ??$

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- 7 receives a list of object pairs and computes the  $/$  quotient of each, while making sure to substitute the string *err* in case of an error.

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- 5 can represent a circle, triangle, rectangle, each of which have their circumference/perimeter and their area methods and these can be called without knowing which object is stored in a given variable.



## C

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- strongly typed
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## C++

- created by Bjarne Stroustrup
- old (1985), still widely used today
- you can think of it as an extension of C
- still being developed, latest standard is C++20 (2020)

We'll start with C

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- search on stackoverflow: *OS C compiler*

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- there are no complex native data structures (lists, dictionaries):

```
int t[10];
t[0] = 1;
```